



# AIRS Observed Stratospheric Cooling Rates Compared to Climate Models

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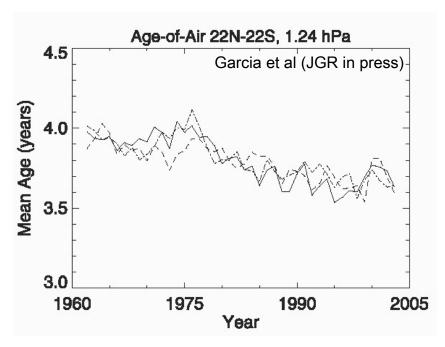
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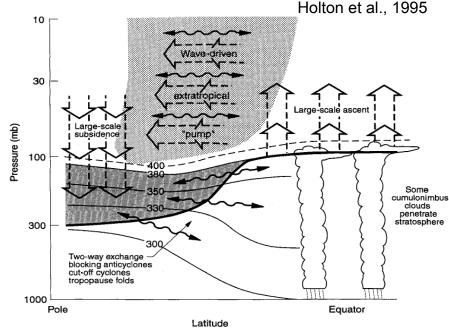


#### Introduction



- Stratosphere cooling is more rapid than the tropospheric warming due largely to increases of CO<sub>2</sub>
- Brewer-Dobson circulation largely determines the O<sub>3</sub> spatial distribution.
  - Result of planetary wave activity
  - Affected by radiative processes including solar heating and infrared cooling
  - Circulation is strengthening with increased CO<sub>2</sub>
- Understanding radiative heating/cooling rates is necessary for understanding the radiative control of circulation in the stratosphere.



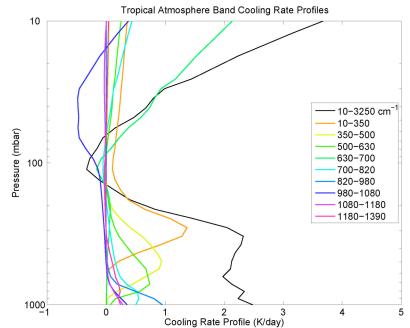


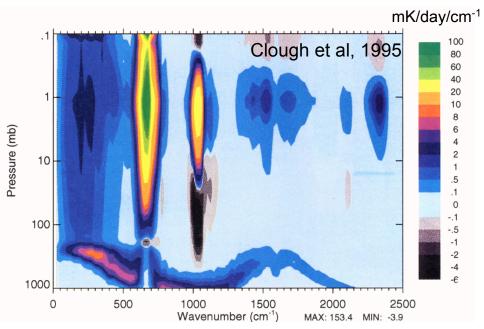


#### **Cooling Rate Calculations**



- Radiative heating/cooling rates directly proportional to net flux divergence in a layer
  - Upwelling surface flux
  - Flux from layers below
  - Flux from layers above
  - Layer emission, transmission
- Knowledge of T, H<sub>2</sub>O, O<sub>3</sub> profiles required
- RRTM (Mlawer et al., 1997) utilized for fast RT calculations
  - ±0.1 K/day in trop. relative to line-by-line
  - ±0.3 K/day in strat. Relative to line-by-line



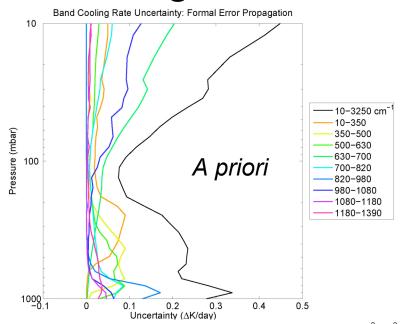


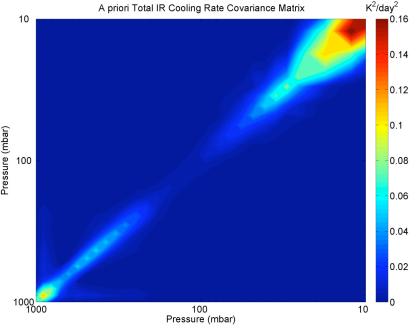


#### Cooling Rate Error Budget



- Perturbations in T, H<sub>2</sub>O, O<sub>3</sub> in the layer of interest affect that layer's cooling rate but also affect cooling in adjacent layers
  - i.e.  $\Delta T(z_L) > 0 \rightarrow \Delta \theta'(z_L) > 0$   $\rightarrow \Delta \theta'(z_{L+1}) < 0$  $\rightarrow \Delta \theta'(z_{L+1}) < 0$
- Formal error propagation analysis
  - Uncertainties in T(z), H<sub>2</sub>O(z), and O<sub>3</sub>(z) propagate into cooling rate profile uncertainty
  - Non-zero covariance in T(z), H<sub>2</sub>O(z) and O<sub>3</sub>(z) errors must be recognized
- CO<sub>2</sub>, O<sub>3</sub> bands contribute substantially to a priori uncertainty



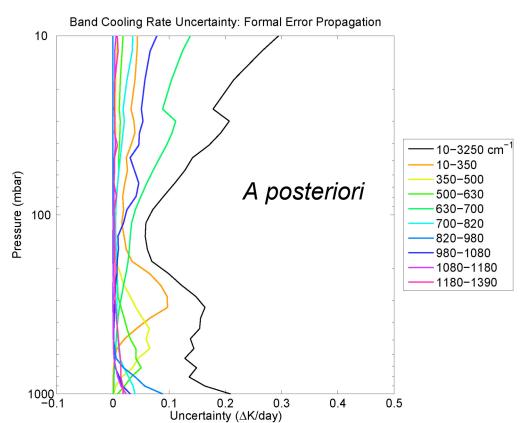


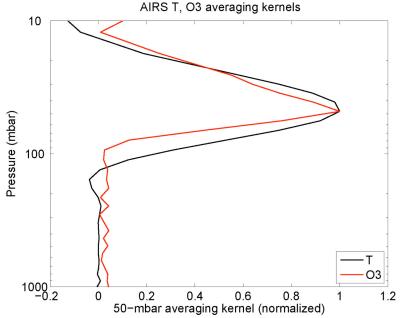


### Why 50 mbar



- Small T trend allows for measurement/model intercomparison
- T, O<sub>3</sub> averaging kernels for linear Bayesian retrieval are narrow
  - H<sub>2</sub>O ambiguity in AIRS signal at 50-mbar





Cooling rate error at 50 mbar after AIRS measurement ~0.15 K/day, mostly from CO<sub>2</sub>, O<sub>3</sub> bands



#### AIRS: a Tool for Cooling Rate Profile Analysis



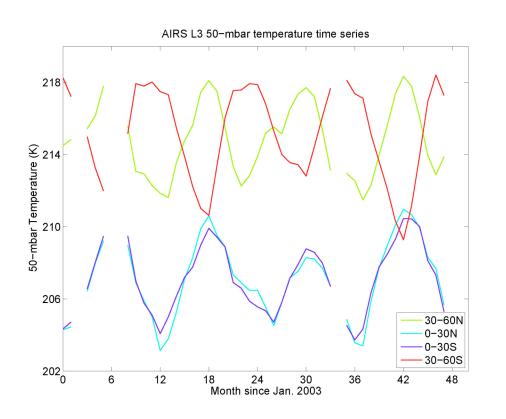
- AIRS measurements contain information regarding radiative cooling rates up to 10 mbar
  - Explicit through measurement of several bands:
    - CO<sub>2</sub> v<sub>2</sub>
    - Window
    - $O_3 V_3$
    - H<sub>2</sub>O v<sub>3</sub>
  - Implicit (far-infrared H<sub>2</sub>O rotational band)
  - Cooling from stratospheric H<sub>2</sub>O not constrained by AIRS measurements
  - See Feldman et al. (2006) for intercomparison of cooling rates derived various measurements.
- Cloud top pressure and temperature and cloud fraction are sufficient to constrain stratospheric cooling rates
- For troposphere and tropopause layer, synergy with other instruments may allow for analysis of cooling rates and comparison with models.

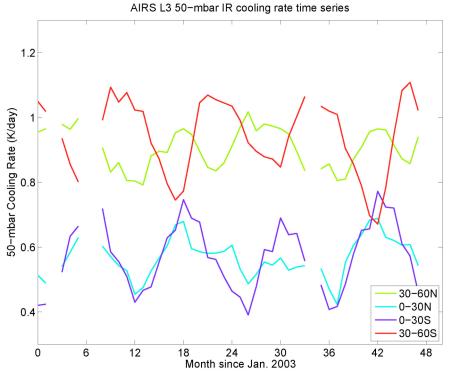


#### AIRS L3 products at 50-mbar



- AIRS L3 T, H<sub>2</sub>O, O<sub>3</sub>, CTP, CTT, CLW products utilized (Olsen et al)
  - Several L3 months missing
- Expected features of 50-mbar temperatures and cooling rates derived from AIRS data
  - Cooling rate at 50-mbar follows but is not synced with temp. at 50 mbar



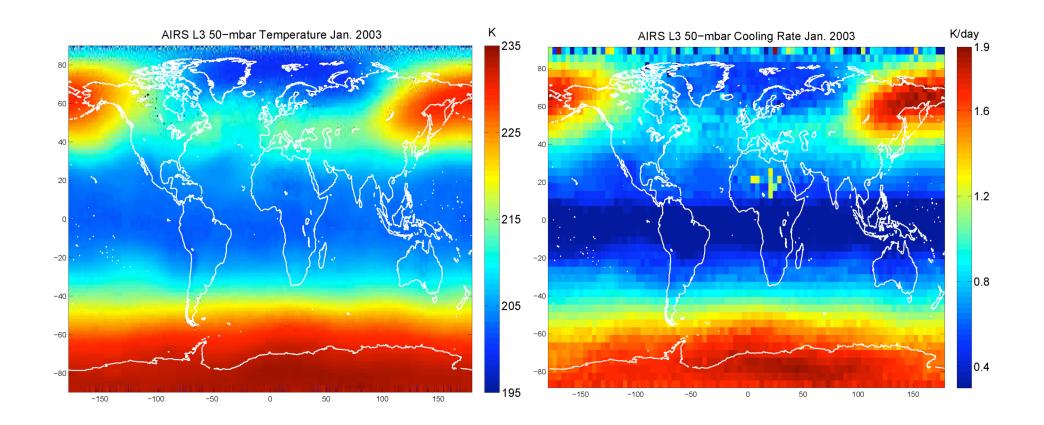




#### AIRS L3 50-mbar T and θ' Selected Maps



- At 50-mbar cooling-to-space term dominates
- O<sub>3</sub> offsets CO<sub>2</sub> (and H<sub>2</sub>O) cooling
  - O<sub>3</sub> profile knowledge necessary for accurate cooling rate determination

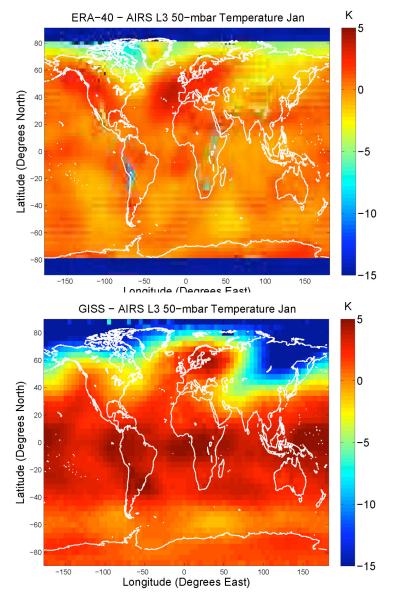


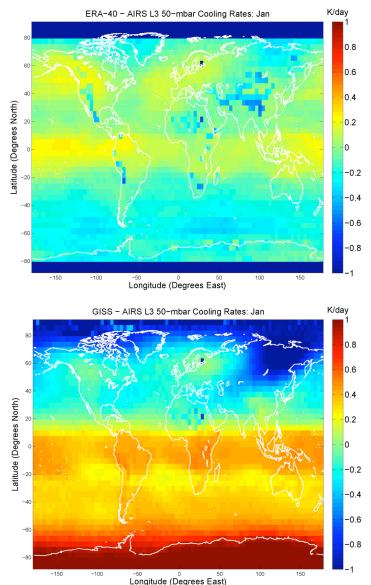


#### 50-mbar T and $\theta$ ' differences



- AIRS and ERA-40 (Uppala et al) 50-mbar T and θ' agree with some discrepancies in high-latitude winter hemisphere
- AIRS and GISS (Schmidt et al) have substantially more disagreement in T and θ'

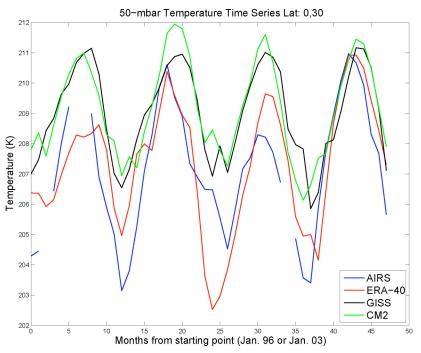


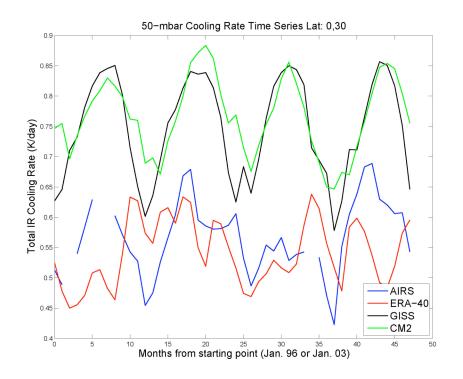




## Phase (and amplitude) comparison of AIRS L3 with models and reanalysis







<u>Lags</u>

ERA-40: 0.3 months

GISS: 1.3 CM2: 0.5

- Phase of 50-mbar signal:
  - the mean time each year when the signal crosses the mid-point between the maximum and the minimum on up-swing.



#### Conclusions



- Stratospheric T and θ' are necessary for determining stratospheric circulation
- AIRS measurements capture stratospheric cooling rates to within 0.15 K/day (within stated computational accuracy of band-model).
- Comparison between 50-mbar temperature and cooling rates from AIRS and models
  - AIRS data suggest phase of 50-mbar temperature in models lagging
  - Models predict warmer low-latitude, colder high-latitude midstratosphere than AIRS L3
  - Model cooling rates follow 50-mbar temperature deviation but hemispheric biases present.
- For a longer discussion of using thermal IR sounders for cooling rate analysis, look for Feldman et al (JGR in prep)





## Acknowledgements

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#### References



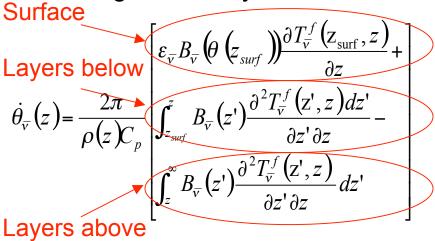
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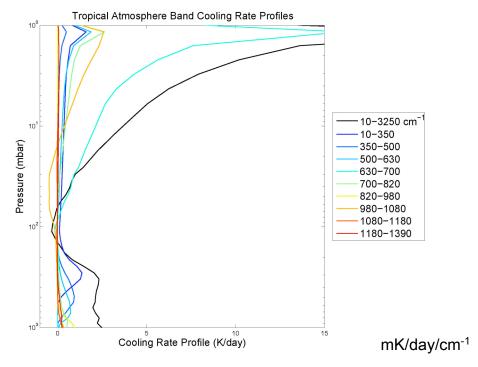
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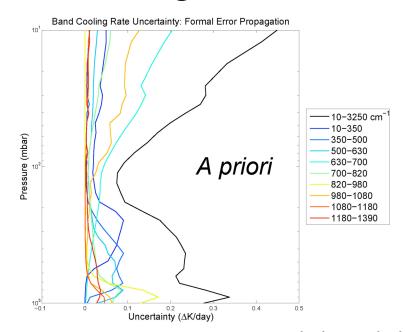
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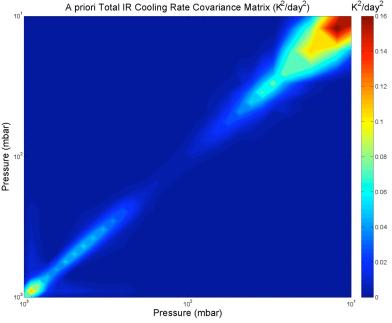
Formal error propagation analysis

$$\operatorname{var}\left[\Delta\dot{\theta}(z)\right] = \begin{cases} \sum_{i=1}^{n} \left[\frac{\partial\dot{\theta}(z)}{\partial x_{i}}\right]^{2} \operatorname{var}(x_{i}) + \\ \sum_{i=1}^{n-1} \sum_{j=i+1}^{n} \frac{\partial\dot{\theta}(z)}{\partial x_{i}} \frac{\partial\dot{\theta}(z)}{\partial x_{j}} \operatorname{cov}(x_{i}, x_{j}) \end{cases}$$

$$2\operatorname{cov}\left[\dot{\theta}(z_{i}),\dot{\theta}(z_{j})\right] = \begin{cases} \operatorname{var}\left[\dot{\theta}(z_{i}) + \dot{\theta}(z_{j})\right] - \\ \operatorname{var}\left[\dot{\theta}(z_{i})\right] - \operatorname{var}\left[\dot{\theta}(z_{j})\right] \end{cases}$$

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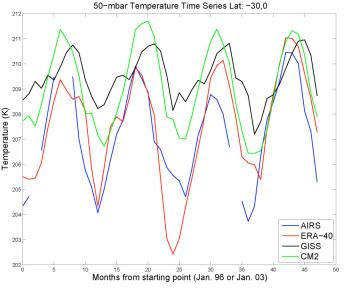




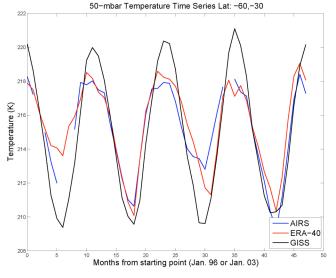


## Phase comparisons for other latitude bands





Lags: ERA-40: GISS: CM2:



Lags: ERA-40: GISS:

